# THE APPLICATION OF CROSS LIMIT CONTROL ON SPEED ADJUSTABLE BELT SCALE SYSTEMS

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### ABSTRACT

Weight belt feeders are widely used in industrial applications to transport solid materials into a manufacturing process at a selected feed rate. A weight belt feeder system consists of several belt conveyors with different weight ratios. In normal operations, each of belt conveyor has its own reference feed rate without any relation with each other. Obviously, in this case, if the velocity of any belt conveyor does not match a desired speed for some reason while the others are still in corrected operation then its feed rate is not kept at the expected value. The imperfection work of the belt scale happened in a sufficient time will lead to a wrong mixed component of the materials and defective production. In this paper, we propose a cross limit control method on speed adjustable belt scale systems, in which if the flux rate of any belt conveyor swill be rigulated so that the feed rates of all belt conveyors will be increased or dicreased will be same precentage. The application of this method in speed adjustable belt scale systems will maintain the mixture ratio at a predesigned value and improve the quality of productions. The effectiveness of the proposed method will be demonstrated wins omes immulation results.

Key words: Cross limit control, belt scale, induction machine, PID controller, converter

#### INTRODUCTION

Belt conveyor scales are widely used in many industrial areas such as food, chemical, or metal manufacturing process. A speed adjustable belt scale shown in Fig. 1 consists of a weight measurement sensor (loadcell), a speed control unit with an electrical motor and drive, a belt speed measurement structure. The continuous conveyor belt scales (or continuous weighing devices) keep the material flux at a constant feedrate in kilograms per second (or Ton per hour). The detail of a working principle of a belt conveyor can be found in [1].

In the literature, the study in [2] focuses on the application of speed control to belt conveyors for the purpose of reducing energy consumption of belt conveyors with the help of a dynamic belt model. In [3], a linear model of a belt conveyor is built to calculate the conveyor dynamic performance in transient period, both in acceleration and deceleration operations. In [4], a gainscheduled PI-like fuzzy logic controller and a self-tuning PI-like fuzzy logic controller are designed for a belt conveyor system to maintain a constant feed rate. A performance comparison of these controllers is also given in this paper. In [5], a weight system including the measurement method to measure the mass with a maximum error of 1% is presented. The test results and the recommendations for future works are also given.



Let  $Q_{\Sigma}^{ref}$  be the reference of the total feed rate (measured in Ton per hour). Let  $C_i$  be the component percentage of each material. Let  $Q_i^{ref}$  be the set point for the *i*-th belt conveyor rate. We have  $Q_i^{ref} = C_i Q_{\Sigma}^{ref}$  (1)

Let  $v_i$  be the speed of the *i*-th belt conveyor, the weight of the bulk material on 1m length of the *i*-

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th belt is denoted by  $w_i$ . The flux rate of the belt conveyor is  $Q_i = w_i v_i$  (2)

Assume the belt scale system consists of N belt conveyors. The total flux of these belt

conveyors is 
$$Q_{\Sigma} = \sum_{i=1}^{N} Q_i$$
 (3)

The error of the desired feed rate and the actual one is  $e_i = Q_i^{ref} - Q_i$ . This error will be minimized by using a flow rate controller as shown in Fig. 2. The speed of the belt is regulated by controlling the speed of the induction motor as a prime mover.



Fig, 2. Belt scale control system

In the normal operation of a continuous weight belt feeder system, the belt speed of each conveyor is regulated in order to keep the variable material feeding rate at a desired value regardless the variations of the material distribution and weight along the belt length. However, since there is no link between the flux references, if the flux of any belt scale cannot be kept at an expected value for some reasons then the component percentage of this material and, therefore, the mixture ratio does not guaranteed anymore. As it is illustrated in Fig. 3, assuming that the flux of *i*-th belt scale Q, has a big difference from it reference value Q<sub>1</sub><sup>ref</sup>. This can be happen sometime because of the fact that, for instance, the material is stuck in the batching hopper. At the moment, the component percentage of this material  $C'_i = \frac{Q_i}{O^{ref}}$  also has a big difference

from it reference value  $C_t = \frac{Q_t^{ref}}{Q_{\Sigma}^{ref}}$ . This might lead to a low quality production output.

In order to maintain the mixture ratio of the production line, we present in this paper a cross limit control method for a speed adjustable belt scale. The theory of the cross limit control is in the setting values of the flux rates, in which, the flux rate of any material only allows to reach its upper or lower limit if the other materials are within the limiting range. If we assume that the continuous weight belt feeder system consists of two belt scales as shown in Fig. 4 then this control the structure is called the double cross limit control system [7]. In this configuration, the upper and lower limits determined by the second belt scale are added in the double cross limit block, which result in flux rate of the first belt scale is increasing or decreasing only within the limiting range. Similarly, the upper and lower limits determined by the first helt scale are added in the double cross limit block, which result in flux rate of the second belt scale is increasing or decreasing only within the limiting range.



Fig. 3. A continuous weight belt feeder system with N belt scales

The cross limit control of a continuous weight belt feeder system with more than two belt scales is implemented in similar way and it will be discussed in the next section.

# CROSS LIMIT CONTROL

Let us denote  $\tilde{Q}_k$  as the set point of the flux rate of the *i*-th belt conveyor with cross limit utilization,  $\delta_h$  and  $\delta_l$  as high and low flux rate limits of the *i*-th belt conveyor. The set point for the flux rate of the belt scale is

$$\bar{Q}_k = Q_k^{ref}$$
(4)

$$\begin{split} &\text{if } \delta_{i} < \frac{Q_{i} - Q_{i}^{ref}}{Q_{i}^{ref}} < \delta_{h} \text{, and} \\ &\tilde{Q}_{k} = Q_{k}^{ref} \left[ 1 + \sum_{i=1}^{N} \frac{Q_{i} - Q_{i}^{ref}}{Q_{i}^{ref}} \right] \end{split} \tag{5}$$

 $\mathrm{if} \frac{Q_{\mathrm{t}} - Q_{\mathrm{t}}^{ref}}{Q_{\mathrm{t}}^{ref}} < \delta_l \,, \quad \mathrm{or} \, \frac{Q_{\mathrm{t}} - Q_{\mathrm{t}}^{ref}}{Q_{\mathrm{t}}^{ref}} > \delta_h \,, \quad \mathrm{where} \,$ 

 $i = \{1, ..., N\}$ ,  $Q_i$  is the actual flux of belt scale number *i*,  $Q_i^{ref}$  is the reference value of the flux rate of belt scale number *i*.





$$\tilde{Q}_{k} = Q_{k}^{ref} \left[ 1 + \sum_{i=1}^{N} \left( \frac{Q_{i} - Q_{i}^{ref}}{Q_{i}^{ref}} - \frac{Q_{k} - Q_{k}^{ref}}{Q_{k}^{ref}} \right) \right]$$
(6)

Equation (6) is used to implement the cross limit control for a continuous weight belt feeder system. The control structure is shown in Fig. 5.

### SYSTEM MODELLING

## Modeling of an induction machine

In a dq reference frame that has the d axis coinciding with the rotor flux, the induction machine model can be described by [8]

$$\begin{aligned} \dot{x}_r &= A_r x_r + B_s v_s + B_r x_r \omega_s \\ y_r &= C_r x_r \end{aligned}$$



Fig. 5. Belt scale system with cross limit control

$$B_{s} = \begin{pmatrix} a_{r11} & 0 & a_{13} & a_{r14} \\ 0 & a_{r11} & -a_{14} & a_{r13} \\ a_{31} & 0 & a_{r33} & a_{734} \\ 0 & a_{r31} & -a_{r34} & a_{r33} \end{pmatrix}$$

$$B_{s} = \begin{pmatrix} \frac{1}{\sigma L_{s}} & 0 \\ 0 & \frac{1}{\sigma L_{s}} \\ 0 & 0 \\ 0 & 0 \\ 0 & 0 \end{pmatrix}, B_{r} = \begin{pmatrix} 0 & 1 & 0 & 0 \\ -1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & -1 & 0 \end{pmatrix}$$

$$\begin{array}{ll} \text{with} & a_{r11} = -\left(\frac{a+1}{T_s} + \frac{a}{T_r}\right), & a_{r13} = \frac{a}{L_m T_r}, \\ a_{r14} = \frac{a \omega_m}{L_m}, & a_{r31} = \frac{L_m}{T_r}, & a_{r33} = -\frac{1}{T_r}, \\ a_{r34} = - \omega_m; \text{ here } L_s, L_r \text{ are the stator and} \end{array}$$

rotor inductances,  $L_m$  is the mutual inductance,  $R_g, R_r$  are the stator and rotor resistances,  $\sigma = 1 - \frac{L_{max}^2}{L_g L_r}$  is the total linkage coefficient and  $a = \frac{1 - \sigma}{\sigma}$ ; moreover  $T_s = \frac{L_s}{R_g}$  and  $T_r = \frac{L_r}{R_g}$  denote the time constants of the stator and rotor,  $\omega_m$  is the mechanical angular velocity of the stator (or grid).

Simulink model of the controlled system



### Fig. 6. Simulink model

The Simulink model of the controlled system with a cross limit unit is shown in Fig. 6. This model is employed to test the effectiveness of proposed method for six reference fluxes (N = 6). However, for sake of simplicity, the model is only developed for only one induction machine drive of the first helt scale. Other induction machine drives can be developed in the same fashion. The stator side includes the flux control loop with a PI flux controller, the speed control loop with a PI speed controller and a stator converter. The role of the stator side control loops is to keep the flux rate of the belt conveyor at the reference value by controlling the speed of the induction motor. The grid side consists of a grid side controller and converter. The grid side control is to maintain the DC-link voltage at a constant value.

The model of the cross limit unit is shown in Fig. 7 based on equations (4) and (6).





### SIMULATION RESULTS

The following tests are implemented with an induction machine whose parameters are given in Appendix A.

The simulation results are shown in Fig. 8. In this test, the upper limit  $\delta_h$  is 5 and the lower limit  $\delta_1$  is -5%. As shown in Fig. 8b, the actual flux of the second belt scale is suddenly decreased from 1500 Kg/min (90 Ton/h) to 1000Kg/min (60Ton/h) at 2.5s for some reason while the actual flux of the first belt scale still tracks its reference well (in between ± 5% of the limit range). Because of the cross limit reaction, the set point for the flux rate of the first belt scale is reduced from 2000Kg/min (120Ton/h) to 1333Kg/min (79.98Ton/h) as shown in Fig. 8a. Note that, in this situation, the reference values of the fluxes for the first and second belt scales are not changed. At 6s, the actual flux of the second belt scale is recovered its normal value from 1000Kg/min (60Ton/h) to 1500Kg/min (90Ton/h) as it can be seen in Fig. 8b. Once again, thanks to the cross limit reaction, the set point for the flux rate of the first belt scale is increased from 1333Kg/min (79.98Ton/h) to 2000Kg/min (120Ton/h) as shown in Fig. 8a. It should be emphasized that if the actual fluxes of all belt scales are inside the limit range then the cross limit has no action on the set point of any belt scale.



Fig. 8. Simulation results

When the set point for the flux of the first belt scale is changed, the set point for the rotor speed of the induction machine is also changed. As it can be seen from Fig. 8c, the actual speed of the induction machine follows its reference value quickly. This indicates a good quality of the speed control loop of the induction machine.

The electrical torque, the total flux, and the stator currents of the induction machines are shown in Fig. 8d, 8e, and 8f, respectively.

## CONCLUSIONS

The cross limit control applied to a speed adjustable belt scale system has been implemented in order to maintain the mixture ratio of the production line at a constant val. In some situations, one of the belt conveyors might not workat anadequate accuracy. When the error between the actual flux and the desired one is bigger than a limited range, the set points of the other belt conveyors arcre-calculated so that the feed rates of all bet conveyors will be increased or decreased with the same percentage. The simulation results show that, in the speed adjustable bet is cale systems with cross limit control, the mixture ratio are kept at a products will be improved significantly.

# APPENDIX A

INDUCTION MACHINE PARAMETERS	
Stator resistance R <sub>s</sub>	0.0139 p.u.
Stator leakage inductance L <sub>1s</sub>	0.0672 p.u.
Rotor resistance, referred to the	0.0112 p.u.
stator side R <sub>r</sub>	
Rotor leakage inductance,	0.0672 p.u.
referred to the stator side L17.	
Magnetizing inductance $L_m$	2.717 p.u.
Rotor inductance L,	$L_{lr} + L_m$
Stator inductance $L_s$	$L_{1s} + L_m$
Moment of inertia H	0.2734 s
Friction coefficient $F$	0.0106 p.u.
Number of pole pairs $p$	2

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## TÓM TẤT ỨNG DỰNG ĐIỀU KHIỂN GIỚI HẠN CHẾO TRONG CÁC HỆ THÓNG CẦN BĂNG ĐIỀU TỐC

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Các hệ thống cản băng định lượng được sử dụng rồng rãi trong các ứng dụng công nghiếp để văn chuyển các nguyên liệu thổ trong các đây chuyển sản xuất với hru lượng đặt trước. Một hệ thống cán băng định lượng bao giản một số các băng tải với các hệ số tài khác nhau. Trong quá trình bình thường, mỗi cán bằng có riêng một lưu lượng đặt trước và không có sự liên quan với các cấn bằng khác. Rô rằng là, trong trưởng hợp nàŋ, nếu vì một lý do nào đố tốc độ của một trong, các bằng bải. Nếng dặt được giả trị mong mướn trong khi các bằng tài khác văn đang hoạt động đưng sẽ làm cho lưu lượng của bằng tài đó không giữ được giả trị đặt trước. Sự liên việc không hoàn hào của một cán băng trong một thời gian đù lớn sẽ dần đến sai lệch tỳ lệ phối liệu và lao ra các phế phẩm. Trong bài báo này chúng tôi để xuất phương pháp điều khiến giới hạn chéo cho các hệ thống cân băng điều tốc, trong đó nều lưu lượng thự tế của một cán bằng không được đảm bảo và vực quá một giới hạn cho trước thì diễm đặt của các lưu lượng của các bằng tải sẽ được giba nhản. Việc áp dụng phương pháp này trong các hệ thống cân băng định lượng diễu tốc sẽ dụy trì ởi lệ phối liệu thọc com mình họa thống qua một số kết quả mộ trong kiết của của phương pháp này sẽ được của mình sực đhông qua chất trước sẽ duỳ trì ởi lệ phối liệu thọc com mình họa thống qua một sốt kộ quả một ngi ham. Hiệu quả của phương pháp này sẽ được của mình họa thống qua một sốt kộ duả một ngi phẩm. Hiệu quả

Từ khóa: Điều khiến giới hạn chéo, cân băng, động cơ không đồng bộ, bộ điều khiến PID, bộ biến đối

Ngày nhận bài: 12/11/2017; Ngày phản biện: 19/11/2017; Ngày duyệt đăng: 30/11/2017

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